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## 24. Proposed by D. H. DAVISON, C. E., Minonk, Illinois.

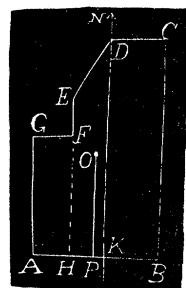
For the purpose of locating the most eligible point for a county-seat, it is required to determine the centre of a county whose dimensions are as follows: Beginning at the S. W. corner, thence E. 15 miles, thence N.  $33\frac{3}{4}$  miles, thence W. 6 miles to the north end of the meridian running south through the county, thence south-westerly to a point 6 miles W. from the meridian and  $9\frac{3}{4}$  miles S. of the north end of said meridian, thence S. 3 miles, thence W. 3 miles, and thence S. 21 miles to the place of beginning.

Solution by G. B. M. ZERR, A. M., Ph. D., Professor of Mathematics and Science in Texarkana College, Texarkana, Arkansas; and F. P. MATZ, D. Sc., Ph. D., Professor of Mathematics and Astronomy in Irving College, Mechanicsburg, Pennsylvania.

Let  $\bar{x}$ ,  $\bar{y}$ , be the co-ordinates of the centroid, and divide the county into three parts as in the figure, then we easily get with  $A$  as origin

$$\bar{x} = \frac{\int_{-3}^3 \int_0^{21} x dx dy + \int_{-3}^9 \int_0^{19\frac{3}{4} + \frac{3}{4}x} x dx dy + \int_{-9}^{15} \int_0^{33\frac{3}{4}} x dx dy}{\int_{-3}^3 \int_0^{21} dx dy + \int_{-3}^9 \int_0^{19\frac{3}{4} + \frac{3}{4}x} dx dy + \int_{-9}^{15} \int_0^{33\frac{3}{4}} dx dy} = 8\frac{6\frac{3}{4}}{7\frac{3}{4}} \text{ miles.}$$

$$\bar{y} = \frac{\int_{-3}^3 \int_0^{21} y dx dy + \int_{-3}^9 \int_0^{19\frac{3}{4} + \frac{3}{4}x} y dx dy + \int_{-9}^{15} \int_0^{33\frac{3}{4}} y dx dy}{\int_{-3}^3 \int_0^{21} dx dy + \int_{-3}^9 \int_0^{19\frac{3}{4} + \frac{3}{4}x} dx dy + \int_{-9}^{15} \int_0^{33\frac{3}{4}} dx dy} = 15\frac{1\frac{3}{4}}{7\frac{3}{4}} \text{ miles.}$$



∴ Measure east from beginning  $8\frac{6\frac{3}{4}}{7\frac{3}{4}}$  miles, then north  $15\frac{1\frac{3}{4}}{7\frac{3}{4}}$  miles.

[The proposition that, "The point of the area of a triangle, which has the sum of its distances to all other points of the area a *minimum*, is the centre of gravity of the area," which I think holds for other figures, practically solves problem 24, No. 2. I have made out the proof for the triangle but it occupies two pages.

R. J. ADCOCK, Larchland, Illinois.]

Also solved by P. S. BERG.

**A CORRECTION.**—On page 246 of the MONTHLY, my remarks in the lower four lines *above* the Note, are not true and should be expunged. They were hastily made upon insufficient investigation. In prob. 20, those remarks hold almost true, but in the general problem they can not ever be true. My solution is not at all affected by those misstatements. The solution may be more easily understood by adding, that, "when Sirius rises, some point of the ecliptic is then rising, and as the Sun is always on the ecliptic the Sun must be at that point, in order to rise synchronously with Sirius."

S. H. WRIGHT.

## 34. Proposed by GEORGE LILLEY, Ph. D., LL. D., Park School, Portland, Oregon.

A hare is at  $O$ , and a hound at  $E$ , 40 rods east of  $O$ . They start at the same instant each running with uniform velocity. The hare runs north. The hound runs directly towards the hare and overtakes it at  $N$ , 320 rods from  $O$ . How far did the hound run?